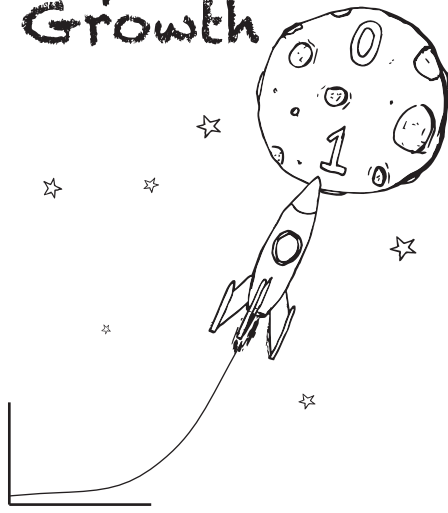


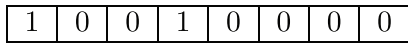
Exponential Growth



In Quantum Computing

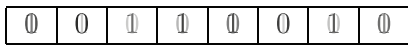
Example

8 classical bits:



8 pieces of information

8 qubits in superposition:



$2^8 = 256$ possible states in superposition, giving 256 pieces of information

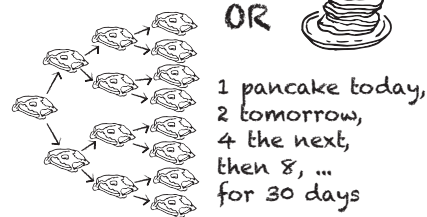
Tough Choice?

Imagine this: one day you're walking along, when suddenly you meet a pancake fairy!



You ask her for pancakes, and she gives you two options:

A million (1,000,000) pancakes right now!



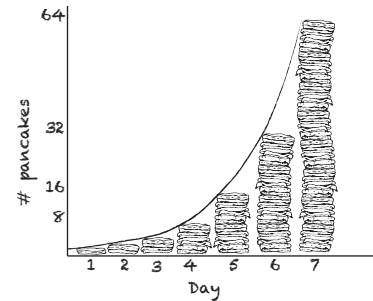
How do you choose?

(in order to maximize pancakes)

Adding up the pancakes from the second option...

$$1 + 2 + 4 + 8 + \dots + 2^{29} = 2^{30} - 1 = 1,073,741,823 \text{ pancakes}$$

Wow! That's a lot of pancakes!



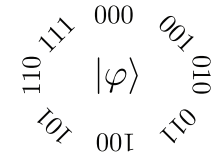
Doubling the amount of pancakes each day is a form of exponential growth

Superposition is Powerful!

Given n bits, there are 2^n permutations of these bits

000 001 010 011
100 101 110 111

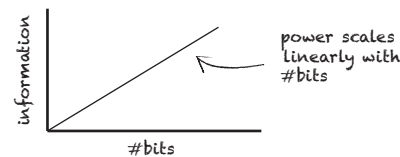
n classical bits can only represent 1 of these permutations at a time



With superposition, n qubits can be a combination of all permutations at once

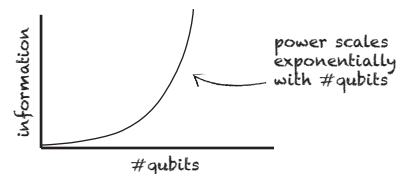
Adding a qubit

Add a classical bit:



8 → 9 pieces of info

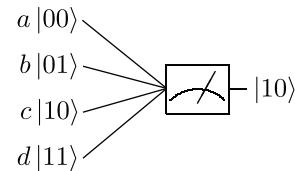
Add a qubit:



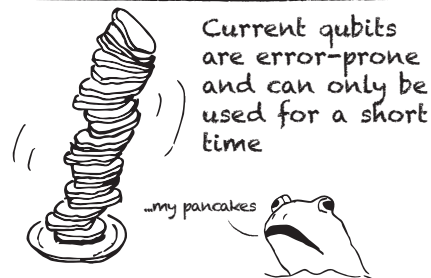
256 → 512 pieces of info

Caveats

Superposition allows a qubit to hold multiple values at once



But we can only read out one value, and doing so destroys all the others!



Find more Quantum Computing zines here:

<https://www.epiqc.cs.uchicago.edu/resources/>

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